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*) Abbreviations according to Zentralblatt für Mathematik Vol. 480.
(R) or (RE) indicates that the paper is written in Russian or in Russian with an English summary respectively, but some papers in Russian with a too short English summary are indicated merely with (R).

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