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**Klein Geometries, Parabolic Geometries and Differential Equations  
of Finite Type**

We define the infinitesimal and geometric orders of an effective Klein geometry  $G/H$ . Using these concepts, we prove (i) For any integer  $m \geq 2$ , there exists an effective Klein geometry  $G/H$  of infinitesimal order  $m$  such that  $G/H$  is a projective variety. (ii) An effective Klein geometry  $G/H$  of geometric order  $M$  defines a differential equation of order  $M + 1$  on  $G/H$  whose global solution space is  $G$ .

**Keywords:** Homogeneous space, jet.

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