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**On Completely Continuous Integration Operators of a Vector Measure**

Let  $m$  be a vector measure taking values in a Banach space  $X$ . We prove that if the integration operator  $I_m : L^1(m) \rightarrow X$ ,  $I_m(f) = \int f dm$ , is completely continuous and  $X$  is Asplund, then  $m$  has finite variation and  $L^1(m) = L^1(|m|)$ .

**Keywords:** Integration operator, vector measure, completely continuous operator, Asplund space.

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