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## Separation of B<sup>-1</sup>–Convex Sets by B<sup>-1</sup>–Measurable Maps

A subset A of  $\mathbb{R}^{n}_{++}$  is  $B^{-1}$ -convex if for all  $x_1, x_2 \in A$  and all  $t \geq 1$  one has  $tx_1 \wedge x_2 \in A$ . These sets were first investigated in papers of G. Adilov and I. Yesilce ["B<sup>-1</sup>-convex sets and B<sup>-1</sup>-measurable maps", Numerical Functional Analysis and Optimization 33(2) (2012) 131–141; "On Generalization of the Concept of Convexity", Hacettepe Journal of Mathematics and Statistics 41(5) (2012) 723–730], and of W. Briec and Q. B. Liang ["On Some Semilattice Structures for Production Technologies", European Journal of Operational Research 215 (2011) 740–749].

In this paper, we establish separation and a Hahn-Banach-like Theorem for  $B^{-1}$ -convex sets.

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