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**Two Kinds of Golden Triangles, Generalized to Match Continued Fractions**

Two kinds of partitioning of a triangle  $ABC$  are considered: side-partitioning and angle-partitioning. Let  $a = |BC|$  and  $b = |AC|$ , and assume that  $0 < b \leq a$ . Side-partitioning occurs in stages. At each stage, a certain maximal number  $q_n$  of subtriangles of  $ABC$  are removed. The sequence  $(q_n)$  is the continued fraction of  $a/b$ , and if  $q_n = 1$  for all  $n$ , then  $ABC$  is called a side-golden triangle. In a similar way, angle-partitioning matches the continued fraction of the ratio  $C/B$  of angles, and if  $q_n = 1$  for all  $n$ , then  $ABC$  is called a angle-golden triangle. It is proved that there is a unique triangle that is both side-golden and angle-golden.

**Keywords:** Golden triangle, golden ratio, continued fraction.

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