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**On Quasi-Gamma Functions**

We define the quasi-gamma functions as the functions  $f : ]0, \infty[ \rightarrow ]0, \infty[$  such that  $f(1) = 1$ ,  $f(x + 1) = xf(x)$  for every  $x > 0$ , and  $f$  is quasi-convex. The main example of quasi-gamma function is the gamma function defined by Euler. We study some properties of the quasi-gamma functions and of the class  $Q$  of these functions.

**Keywords:** Gamma function, quasi-gamma function, quasi-convex function.

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